

AMENDMENTS TO THE CLAIMS

This listing of the claims will replace all prior versions, and listings, of claims in the application:

1. (Currently amended) A method of performing high precision emulation of program code instructions for a subject machine on a target machine, comprising:

determining if operands in instructions of the program code for the subject machine require a different precision than provided for by the hardware of the target machine; and

applying a floating point emulation algorithm to perform intermediate calculations on the operands of the instructions at a higher precision than the precision supported by the hardware of the target machine to produce intermediate values;

wherein at each stage, the intermediate values are tested to determine whether the intermediate values have reached a point at which the hardware of the target machine has enough precision to finish the calculation without loss of accuracy.

2. (Currently amended) The method of claim 1, wherein the target machine includes floating point hardware and integer hardware, wherein said floating point emulation algorithm comprises:

utilizing floating point hardware on the target machine to perform calculations on the operands of the instructions when it is determined based upon the intermediate calculations that the target machine provides sufficient precision for the calculations required by the instructions; and

utilizing integer hardware on the target machine to perform calculations not selected to be performed by the floating point hardware.

3. (Original) The method of claim 2, wherein the program code instructions are accumulated instructions that are calculated at a higher precision than the operands capable of being handled by the target machine.

4. (Original) The method of claim 3, wherein the program code instructions are floating point accumulated instructions of the form: $d = \pm(a*b \pm c)$,

wherein a, b, c and d are operands expressible as floating point numbers.

5. (Original) The method of claim 4, further comprising identifying whether any of the operands (a, b, or c) are special values having a known result that all compatible hardware will produce regardless of the level of precision of said hardware.

6. (Original) The method of claim 5, wherein said special values include either zero, infinity, or NaN (not a number), wherein the floating point hardware is utilized to calculate the result of the accumulated instructions when any of the operands (a, b, or c) are identified as special values.

7. (Original) The method of claim 4, wherein said floating point emulation algorithm further comprises:

determining whether the exponent for the result of the multiplication of (a*b) overlaps with the exponent of c; and

utilizing the floating point hardware to calculate the result of the accumulated instructions when the exponent for the result of the multiplication of (a*b) fails to overlap with the exponent of c.

8. (Original) The method of claim 7, wherein, when the exponent for the result of the multiplication of (a*b) overlaps with the exponent of c, said floating point emulation algorithm further comprising:

determining whether the mantissa for the result of the multiplication (a*b) requires more mantissa bits than provided for by said floating point hardware; and

utilizing the floating point hardware to calculate the result of the accumulated instructions when the result of the multiplication (a*b) does not require more mantissa bits than provided for by the floating point hardware.

9. (Original) The method of claim 8, said floating point emulation algorithm further comprising computing the full calculation of a*b using the integer hardware when mantissa for the result of the multiplication (a*b) requires more mantissa bits than provided for by the floating point hardware.

10. (Original) The method of claim 9, said floating point emulation algorithm further comprising:

determining whether the final resulting mantissa of the mantissa($a*b$) - the mantissa (c) equals zero;

utilizing the floating point hardware to make the result equal to zero when the resulting mantissa is equal to zero; and

calculating the remaining parts of the calculation of $a*b + c$ using the integer hardware when the final resulting mantissa is not equal to zero.

11. (Currently amended) A computer-readable storage medium having software resident thereon in the form of computer-readable code executable by a computer to perform the following steps in the high precision emulation of program code instructions for a subject machine on a target machine:

determining if operands in instructions of the program code for the subject machine require a different precision than provided for by the target machine; and

applying a floating point emulation algorithm to perform intermediate calculations on the operands of the instructions at a higher precision than the precision supported by the target machine to produce intermediate values;

wherein at each stage, the intermediate values are tested to determine whether the intermediate values have reached a point at which the hardware of the target machine has enough precision to finish the calculation without loss of accuracy.

12. (Currently amended) The computer-readable storage medium of claim 11, wherein the target machine includes floating point hardware and integer hardware, wherein said floating point emulation algorithm comprises:

utilizing floating point hardware on the target machine to perform calculations on the operands of the instructions when it is determined based upon the intermediate calculations that the target machine provides sufficient precision for the calculations required by the instructions; and

utilizing integer hardware on the target machine to perform calculations not selected to be performed by the floating point hardware.

13. (Original) The computer-readable storage medium of claim 12, wherein the program code instructions are accumulated instructions that are calculated at a higher precision than the operands capable of being handled by the target machine.

14. (Original) The computer-readable storage medium of claim 13, wherein the program code instructions are floating point accumulated instructions of the form: $d = \pm (a * b \pm c)$, wherein a, b, c and d are operands expressible as floating point numbers.

15. (Original) The computer-readable storage medium of claim 14, said computer-readable code further executable for identifying whether any of the operands (a, b, or c) are special values having a known result that all compatible hardware will produce regardless of the level of precision of said hardware.

16. (Original) The computer-readable storage medium of claim 15, wherein said special values include either zero, infinity, or NaN (not a number), wherein the floating point hardware is utilized to calculate the result of the accumulated instructions when any of the operands (a, b, or c) are identified as special values.

17. (Original) The computer-readable storage medium of claim 14, wherein said floating point emulation algorithm further comprises:

determining whether the exponent for the result of the multiplication of $(a * b)$ overlaps with the exponent of c; and

utilizing the floating point hardware to calculate the result of the accumulated instructions when the exponent for the result of the multiplication of $(a * b)$ fails to overlap with the exponent of c.

18. (Original) The computer-readable storage medium of claim 17, wherein, when the exponent for the result of the multiplication of $(a * b)$ overlaps with the exponent of c, said floating point emulation algorithm further comprises:

determining whether the mantissa for the result of the multiplication $(a * b)$ requires more mantissa bits than provided for by said floating point hardware; and

utilizing the floating point hardware to calculate the result of the accumulated instructions when the result of the multiplication ($a*b$) does not require more mantissa bits than provided for by the floating point hardware.

19. (Original) The computer-readable storage medium of claim 18, said floating point emulation algorithm further comprising computing the full calculation of $a*b$ using the integer hardware when mantissa for the result of the multiplication ($a*b$) requires more mantissa bits than provided for by the floating point hardware.

20. (Original) The computer-readable storage medium of claim 19, said floating point emulation algorithm further comprising:

determining whether the final resulting mantissa of the mantissa($a*b$) - the mantissa (c) equals zero;

utilizing the floating point hardware to make the result equal to zero when the resulting mantissa is equal to zero; and

calculating the remaining parts of the calculation of $a*b + c$ using the integer hardware when the final resulting mantissa is not equal to zero.

21. (Currently amended) A target computing environment comprising ~~In combination:~~

a target processor; and

translator code for performing high precision emulation of program code instructions for a subject machine on a target machine, said translator code comprising code executable by said target processor for performing the following steps:

determining if operands in instructions of the program code for the subject machine require a different precision than provided for by the target machine; and

applying a floating point emulation algorithm to perform intermediate calculations on the operands of the instructions at a higher precision than the precision supported by the target machine to produce intermediate values;

wherein at each stage, the intermediate values are tested to determine whether the intermediate values have reached a point at which the hardware of the target machine has enough precision to finish the calculation without loss of accuracy.

22. (Currently amended) The combination of claim 21, wherein the target machine includes floating point hardware and integer hardware, wherein said floating point emulation algorithm comprises:

utilizing floating point hardware on the target machine to perform calculations on the operands of the instructions when it is determined based upon the intermediate calculations that the target machine provides sufficient precision for the calculations required by the instructions; and

utilizing integer hardware on the target machine to perform calculations not selected to be performed by the floating point hardware.

23. (Original) The combination of claim 22, wherein the program code instructions are accumulated instructions that are calculated at a higher precision than the operands capable of being handled by the target machine.

24. (Original) The combination of claim 23, wherein the program code instructions are floating point accumulated instructions of the form: $d = \pm(a*b \pm c)$,

wherein a, b, c and d are operands expressible as floating point numbers.

25. (Original) The combination of claim 24, wherein said floating point emulation algorithm comprises identifying whether any of the operands (a, b, or c) are special values having a known result that all compatible hardware will produce regardless of the level of precision of said hardware.

26. (Original) The combination of claim 25, wherein said special values include either zero, infinity, or NaN (not a number), wherein the floating point hardware is utilized to calculate the result of the accumulated instructions when any of the operands (a, b, or c) are identified as special values.

27. (Original) The combination of claim 24, wherein said floating point emulation algorithm further comprises:

determining whether the exponent for the result of the multiplication of $(a*b)$ overlaps with the exponent of c; and

utilizing the floating point hardware to calculate the result of the accumulated instructions when the exponent for the result of the multiplication of $(a*b)$ fails to overlap with the exponent of c .

28. (Original) The combination of claim 27, wherein, when the exponent for the result of the multiplication of $(a*b)$ overlaps with the exponent of c , said floating point emulation algorithm further comprises:

determining whether the mantissa for the result of the multiplication $(a*b)$ requires more mantissa bits than provided for by said floating point hardware; and

utilizing the floating point hardware to calculate the result of the accumulated instructions when the result of the multiplication $(a*b)$ does not require more mantissa bits than provided for by the floating point hardware.

29. (Original) The combination of claim 28, said floating point emulation algorithm further comprising computing the full calculation of $a*b$ using the integer hardware when mantissa for the result of the multiplication $(a*b)$ requires more mantissa bits than provided for by the floating point hardware.

30. (Original) The combination of claim 29, said floating point emulation algorithm further comprising:

determining whether the final resulting mantissa of the mantissa($a*b$) - the mantissa (c) equals zero;

utilizing the floating point hardware to make the result equal to zero when the resulting mantissa is equal to zero; and

calculating the remaining parts of the calculation of $a*b + c$ using the integer hardware when the final resulting mantissa is not equal to zero.